

# Unleashing the verification genie in the cloud

### Nikolaj Bjørner & Leonardo de Moura Microsoft Research NSF Usable Verification Workshop Nov 15-16 2010

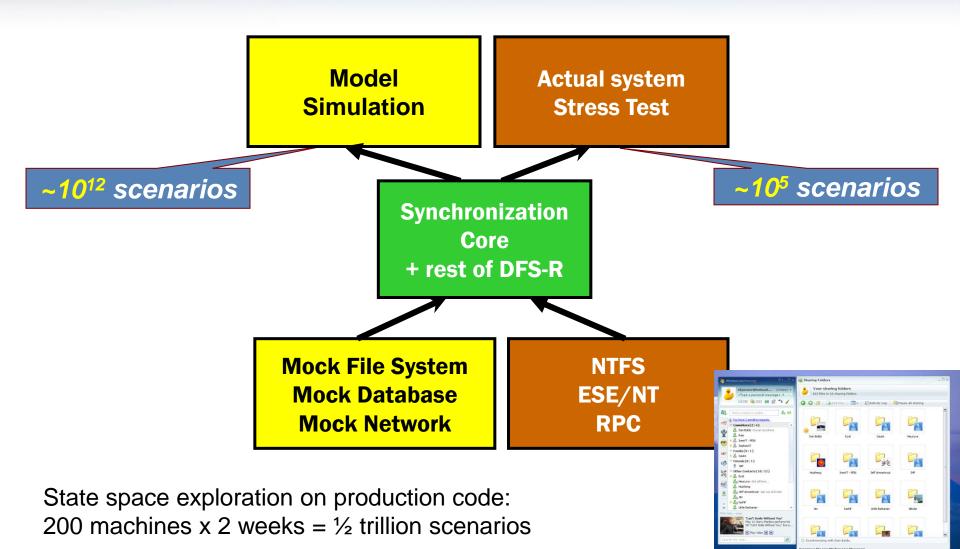


DFS-R: "hands on" usability CAML validator example run

C:\>.\frsmodel -bug -b2 6 ... Count=57000 Child with Id: f\_6 does not exist in DB Invariant violated db\_is\_consistent\_with\_fs

	Machine 1	Machine 2
1	create q	
2	create q\b	
3		create q
4	flush_journal	
5		sync from m 1
6	sync from m_2	

# DFS-R: "hands on" usability



# Session Focus

#### **Improved** automation:

- Usable automatic answers
- Efficiency and expressivity in Z3

### **Delivering and combining inference capabilities:**

- SMT-LIB2@ <u>http://rise4fun.com/z3</u>, LINQ, Quotations, Boogie
  ... and other ways of lowering the barrier of entry for using Z3
- Z3 user-based theory solvers

### Some Microsoft Engines using Z3

- **SDV:** The Static Driver Verifier
- **PREfix:** The Static Analysis Engine for C/C++.
- **Pex:** Program EXploration for .NET.
- **SAGE:** Scalable Automated Guided Execution
- **Spec#:** C# + contracts
- VCC: Verifying C Compiler for the Viridian Hyper-Visor
- **HAVOC:** Heap-Aware Verification of C-code.
- **SpecExplorer:** Model-based testing of protocol specs.
- **Yogi:** Dynamic symbolic execution + abstraction.
- FORMULA: Model-based Design
- F7: Refinement types for security protocols
- **Rex:** Regular Expressions and formal languages
- VS3: Abstract interpretation and Synthesis
- VERVE: Verified operating system
- **FINE:** Proof carrying certified code





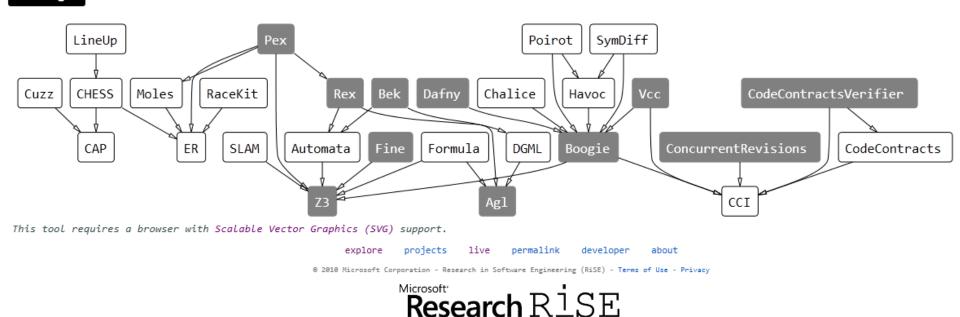


PR	Message List	🔋 Filter			Defect 1 o Fiber Matches
*	Description	Warning	S	Source Location	In Function
1	assertion might not hold: Dereferecned object is non-null	30500	C	test001.c(28)	Test1_bad
2	assertion might not hold:allocated(&x->a)	30500	c	test001.c(35)	Test2_bad
3	assertion might not hold: Type Safety Assertion	30500	c	test001.c(44)	Test3_bad
4	postcondition might not hold: no updated memory locations	30500	c	test001.c(48)	Test4_bad
5	assertion might not hold: x->a == 5	30500	c	test001.c(59)	Test5_bad
6	postcondition might not hold: ensuresreturn == n	30500	c	test001.c(64)	Test6_bad
7	precondition on TestS_bad might not hold: requires x != 0	30500	c	test001.c(75)	Test7_bad
8	loop invariant might not hold at entry: ensures x == n	30500	c	test001.c(105)	Test8_bad
9	loop invariant might not be maintained: ensures x < n	30500	C	test001.c(123)	Test9_bad
10	Annotation error: Unknown field for type struct _FOO: y	30501	c	test001.c(130)	Test10_bad

### **RiSE tool chain**



What does this dot graph look like? Ask AgL!



Agl Bek Boogie Code Contracts

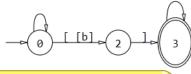
Concurrent Revisions Dafny Esm Fine

[b - [b]]



Can you discover the secret regex? Ask Rex!

	You Missed! Your regex gave different matches th				
	string	your regex	secret regex	result	
$\otimes$	"]"	match	no match	Your match is diff	
$\otimes$	"ØF]"	match	no match	Your match is diff	
$\otimes$		no match	match	Your match is diff	
$\bigcirc$	"DT"	no match	no match		
$\bigcirc$	"n"	no match	no match		







Agl Bek Boogie Code Contracts

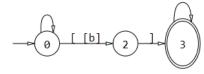
Concurrent Revisions Dafny Esm Fine

[b - [b]]

Ask Rex!

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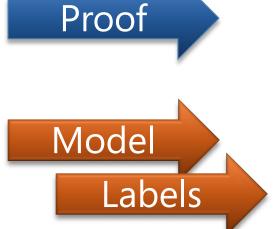




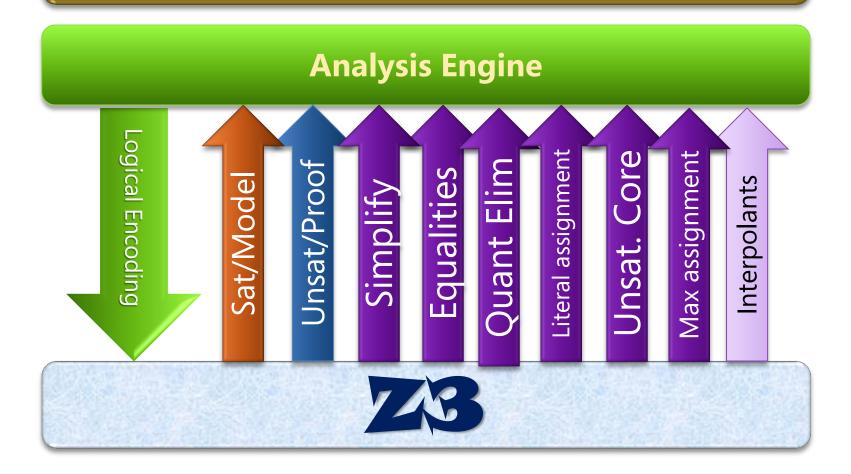
**Rex/Auotmata** 







### **Application**



Sat/unsat answers alone have limited use

Model/Proof answers help for

- Models: Debugging during verification
- Proofs: can use solver as untrusted Oracle

Much more is possible and needed

- Many existing applications wrap several calls into solver, re-using partial information.
- Many potential applications use objective functions.

# **Efficiency and Expressivity**

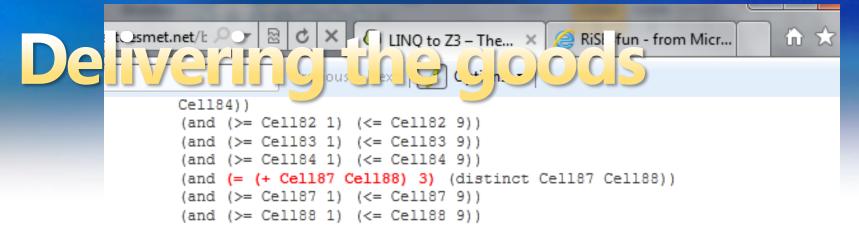
Z3 uses DPLL(T) as basic architecture.

- Based on efficient DPLL for SAT solvers
- Extensible by theory solvers

DPLL(T) alone is not enough:

- DPLL( $\Gamma$ ) add super-position
- DPLL(T) can be exponentially worse than unrestricted resolution.
  - DPLL(凵) solving diamonds
  - CDTR: Conflict Directed Theory Resolution Claim

DPLL(T) + CDTR + Restart  $\equiv_p$  Unrestricted T-Resolution



Again the red parts reflect what the user expressed, while the remainder is all generated by the domain-specific Kakuro implementation.

#### Conclusion

Creating a simple LINQ to Z3 implementation isn't too hard and involves just a little bit of plumbing in the bathroom of reflection and some use of expression tree visitor patterns. In future posts, we'll have a look at domain-specific theorem solving techniques based on declarative expression tree rewriters. Enjoy!

Del.icio.us | Digg It | Technorati | Blinklist | Furl | reddit | DotNetKicks

Filed under: LINQ, Crazy Sundays, Z3, Microsoft Research

#### Comments

#### # re: LINQ to Z3 - Theorem Solving on Steroids - Part 1

Monday, September 28, 2009 12:53 AM by aL

YES ive been waiting so long for this :O z3 is like lighning in a bottle but the bottle cap is screwed on way tight :) i tried making a linq-to-z2 wrapper but my expression tree skills where far to weak

# A LINQ/F# Quotations primer

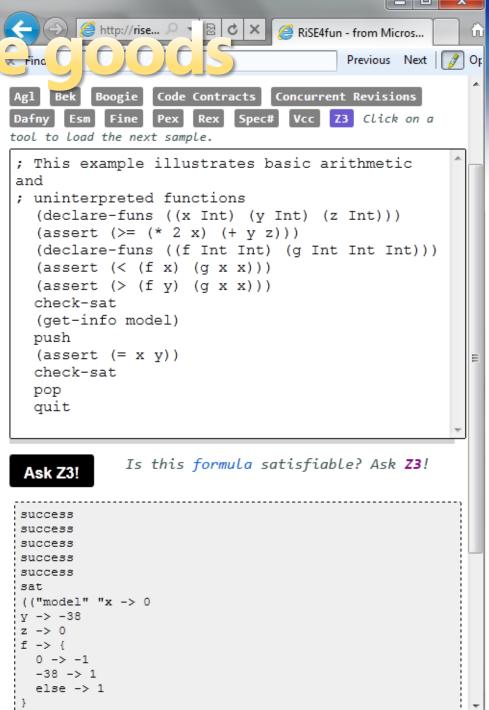
Create open Microsoft.Z3 Quoted open Microsoft.Z3.Quotations Expression do Solver.prove <@ Logic.declare (fun t11 t12 t21 t22 t31 t32 -> not  $((t11 \ge 0I) \&\& (t12 \ge t11 + 2I) \&\& (t12 + 1I \le 8I) \&\&$  $(t21 \ge 0I) \&\& (t22 \ge t21 + 3I) \&\& (t32 + 1I \le 8I) \&\&$  $(t31 \ge 0I) \&\& (t32 \ge t31 + 2I) \&\& (t32 + 3I \le 8I) \&\&$ (t11 >= t21 + 3I || t21 >= t11 + 2I) &&  $(t11 \ge t31 + 2I \parallel t31 \ge t11 + 2I) \&\&$  $(t21 \ge t31 + 2I \parallel t31 \ge t21 + 3I) \&\&$  $(t12 \ge t22 + 11 || t22 \ge t12 + 11) \&\&$  $(t12 \ge t32 + 31 || t32 \ge t12 + 11) \&\&$  $(t22 \ge t32 + 31 \parallel t32 \ge t22 + 11)$ 

 $(\alpha)$ 

# **Delivering the**

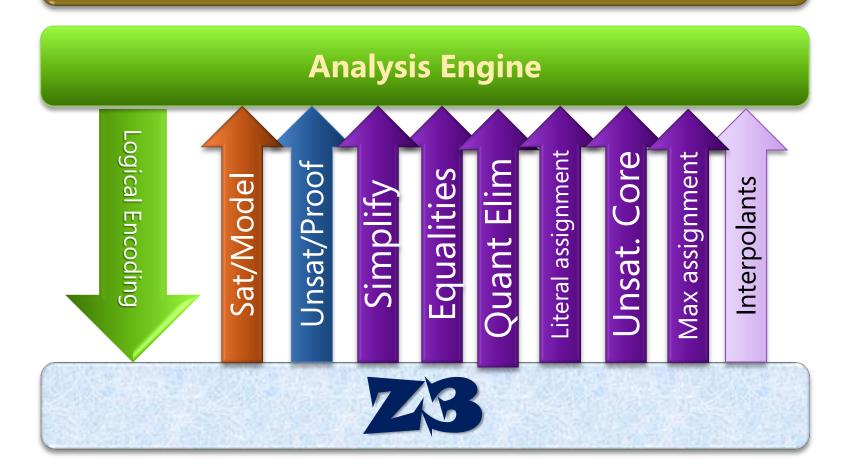
#### No installation

- Support for SMT-LIB2 notation
- Only usable for
  bare bones logic
  encoding



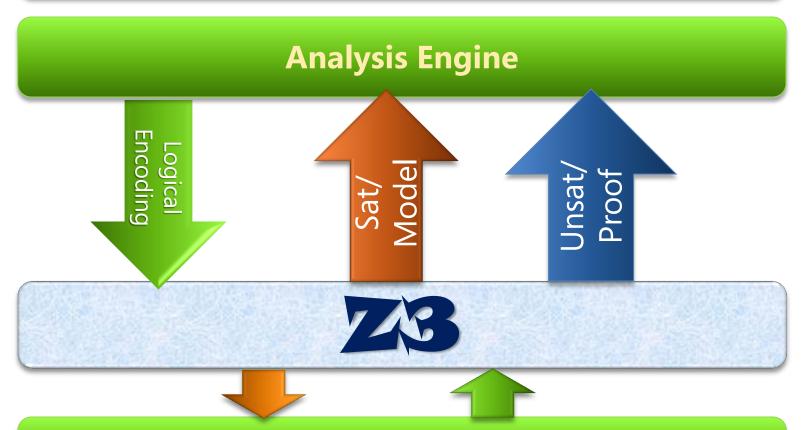
### User Theories

### **Application**



### User Theories

### Application



**Custom Theory:** Strings, Queues, Floating points, BAPA, Separation Logic, HOL, MSOL, Orders, Lattices, Local Theories

# Conclusions

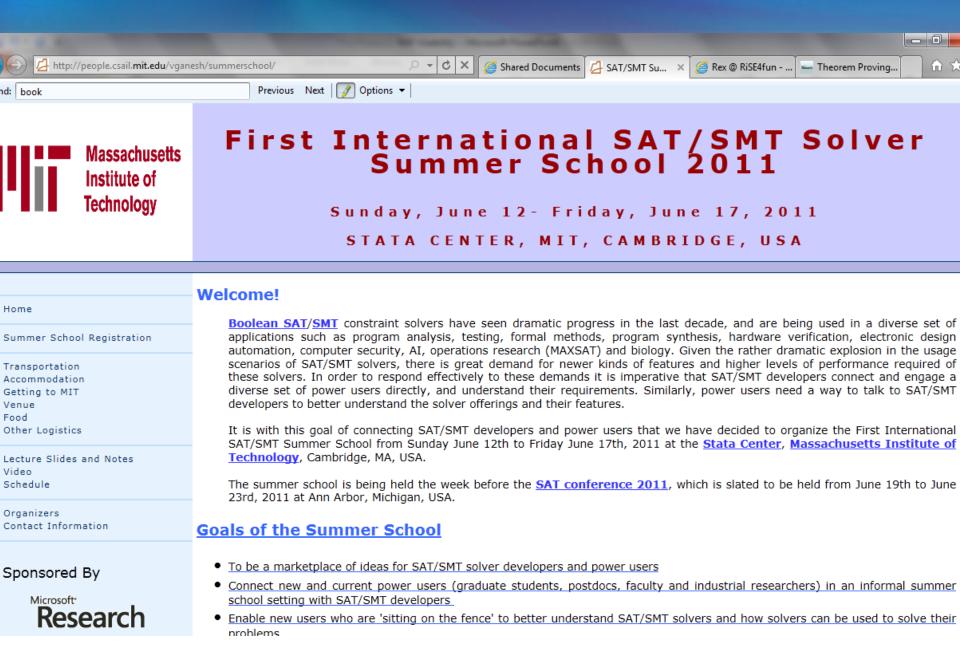
#### Usability addressed by:

- Lower barrier of entry for first use: <u>http://rise4fun.com/z3</u>
- Enable basic input formats: SMT-LIB2, C, .NET, F# Quotations, LINQ....
- Improved efficiency/scale for theory & quantifier reasoning
- Extensible by user solvers

#### Usability challenges:

- You too should use Z3
- Writing a user theory solver is not for the faint of heart
  - "What assumptions of the solver should I and can I make"?
  - "I would like to predict the search behavior"

#### Summer school on useful tools for verification



#### **Usable Verification requires Automated Deduction!**



Wrocław, Poland. 31 July - 5 August 2011

23rd international conference on automated deduction

#### Home

Call for Workshops and Tutorials Call for Papers

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PC + Organizers

**About Poland** 

**Travel Information** 

Accomodation

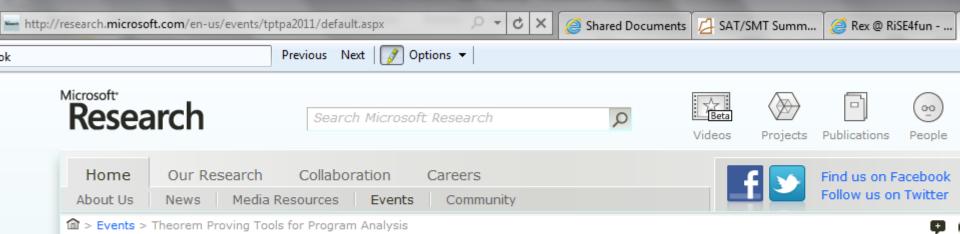


#### Welcome to the CADE website!

osted on 28 October 2010 by admin

CADE - the 23rd International Conference on Automated Deduction





#### Theorem Proving Tools for Program Analysis

The tutorial will expose POPL attendees to several theorem proving tools and to help give them the ability to choose an appropriate tool for their specific application. The tutorial is presented by authors of current top theorem proving tools.

This tutorial will be co-located with POPL 2011, Austin, Texas.

#### Which theorem prover fits my needs?

This question can be difficult to answer with exposure to only one or two theorem provers. Research and development into theorem proving technologies over the last few decades have given rise to a number of highly complementary theorem proving tools. This tutorial aims to provide answers to this question by assembling authors of set of top theorem proving systems. The theorem proving systems cover quite different areas:

- Computational logic
- Interactive theorem proving with integrated solvers
- SMT solving
- High performance pure SAT and OPE solvers